

Homework – Wall-Following PID

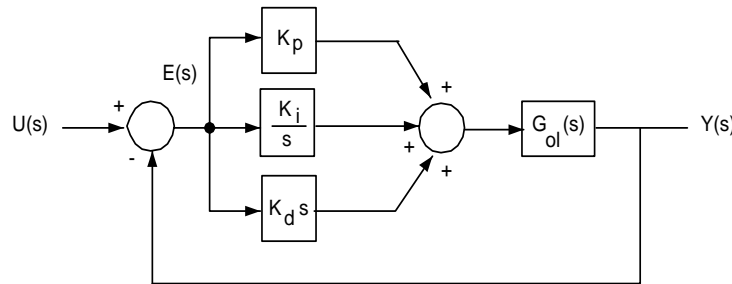
1. Fill in the blanks (20-points)
 - A. Adding integral gain improves steady-state accuracy and the expense of _____
 - B. _____ gain improves stability at the expense of steady-state accuracy
 - C. PD gain improves stability _____ degrading accuracy much
 - D. _____ improves steady-state accuracy without degrading stability much
 - E. Type 1 and 2 systems have _____ error with step response
 - F. One adds an _____ to increase system type
 - G. One decreases system type by adding a _____
 - H. A 10-bit ADC provides decimal values from 0 to _____
 - I. _____ is the ratio of times when a signal is on and off
 - J. In DC motors, the back EMF and _____ constants are equal

2. Write an NXC program called `wfPidFile1_0a.nxc` using best practices. The program will save portside-to-wall distance data into a file named "`doma.csv`". Recall the lab on Wall Following PID; Concept 2 had one capture wall distance data for 4 different proportional gains. Show your NXC code (10-points). You only need to show the code for a single gain case. Generate your own Excel graphs for:

kP	kI	kD	YouTube URL	Excel Plot
0	0	0		
1.5	0	0		
5	0	0		
15	0	0		

For reference, see the plots in Concept 2 of the lab. Make sure to: (1) title the graph with the correctly (i.e. gain values); (2) label both the horizontal and vertical axes; and (3) add minor gridlines (10-points for each graph; 4 plots total = 40 points). Observe your 4 plots. How does the rise time change and gain k_P increases (5-points)? How does the steady-state error change as k_P increases (5-points)? Grand total: $10+4*10+5+5 = 60$ -points

3. Given below is a typical block diagram of a PID system.



Derive to show that the closed-loop transfer is given by (10-points)

$$G_{cl}(s) = \frac{Y(s)}{U(s)} = \frac{G_{ol}(K_p s + K_i + K_d s^2)}{s + G_{ol}(K_p s + K_i + K_d s^2)}$$

4. Recall that the Final Value Theorem states that $\lim_{t \rightarrow \infty} y(t) = \lim_{s \rightarrow 0} sY(s)$. Also, recall that the general form of an open-loop transfer function with $i = 0, 1, 2 \dots$ is given by

$$G_{ol}(s) = \frac{(\tau_a s + 1) \cdots (\tau_m s + 1)}{s^i (\tau_1 s + 1) \cdots (\tau_n s + 1)}$$

Derive to show that for proportional-only control that a Type 1 system response to a step input is $y_{ss} = 1$ (10-points)